

Fig. 1. (A) Decision process diagram. (B) Gaussian Signal Detection Theory plot.

Let $W = \{w_1, w_2\}$ be the set of possible world states, and $X = \{x_1, x_2\}$ be the set of possible observations. The decision process is defined by the function $a = d(x)$.

The consequence function $G(a, w)$ is defined as:

$$G(a, w) = \begin{cases} 1 & \text{if } a = w \\ 0 & \text{otherwise} \end{cases}$$

The likelihood function $f(x|w)$ is defined as:

$$f(x|w) = \frac{1}{\sqrt{\pi}} e^{-x^2/2}$$

The decision threshold X is defined as:

$$X = \frac{1}{2}$$

The confusion matrix is defined as:

	S	S̄
S	1	0
S̄	0	1

The area under the curves between $x=0$ and $x=1$ is shaded green, representing the region of uncertainty.

$$EG[|] = \int_{-\infty}^{\infty} G(\cdot, \cdot)(|) \quad (1)$$

$$EG[|] = \int_{-\infty}^{\infty} G(\cdot, \cdot)(|) = [(\cdot) =] \quad (2)$$

$$EG[|\bar{]} = \int_{-\infty}^{\infty} G(\cdot, \bar{\cdot})(|\bar{}) = [(\cdot) = \bar{]} \quad (3)$$

$$EG[|] \geq EG[|\bar{]} \quad (4)$$

$$EG[|] = EG[|] + (-)EG[|] \quad (5)$$

$$EG[|\bar{]} = EG[|\bar{]} + (-)EG[|\bar{]} \quad (6)$$

$$EG[|] = EG[|] + (-)EG[|] \quad (7)$$

$$EG[|\bar{]} = EG[|\bar{]} + (-)EG[|\bar{]} \quad (8)$$

$$EG[|] = EG[|] + (-)EG[|] \quad (9)$$

$$EG[|\bar{]} = EG[|\bar{]} + (-)EG[|\bar{]} \quad (10)$$

$$EG[|] = EG[|] + (-)EG[|] \quad (11)$$

$$EG[|\bar{]} = EG[|\bar{]} + (-)EG[|\bar{]} \quad (12)$$

$$EG[|] = EG[|] + (-)EG[|] \quad (13)$$

$$EG[|] \geq EG[|\bar{]} \quad (14)$$

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$$EG[|] \geq EG[|\bar{]} \quad (36)$$

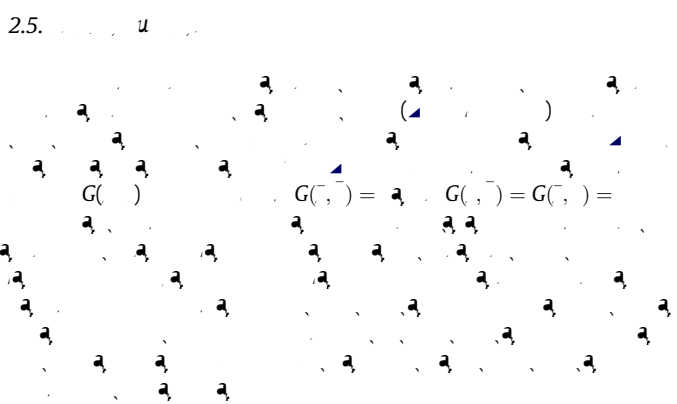
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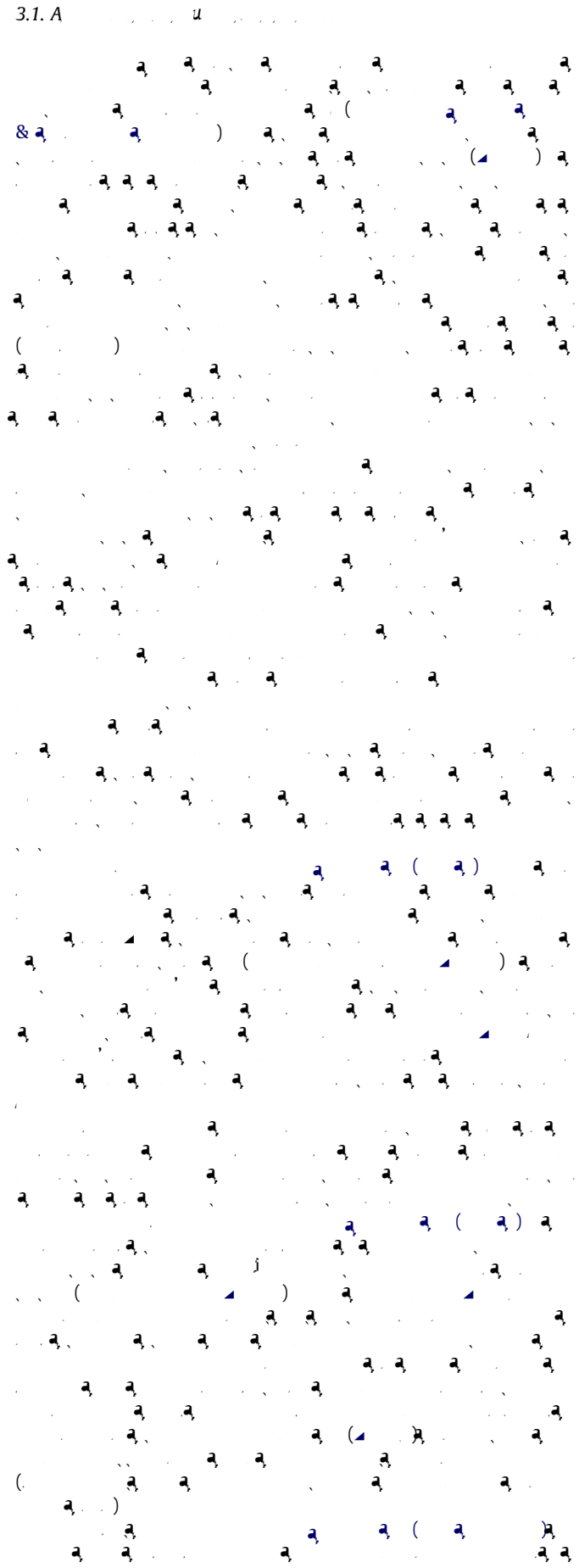
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3. Modeling biological perception and action

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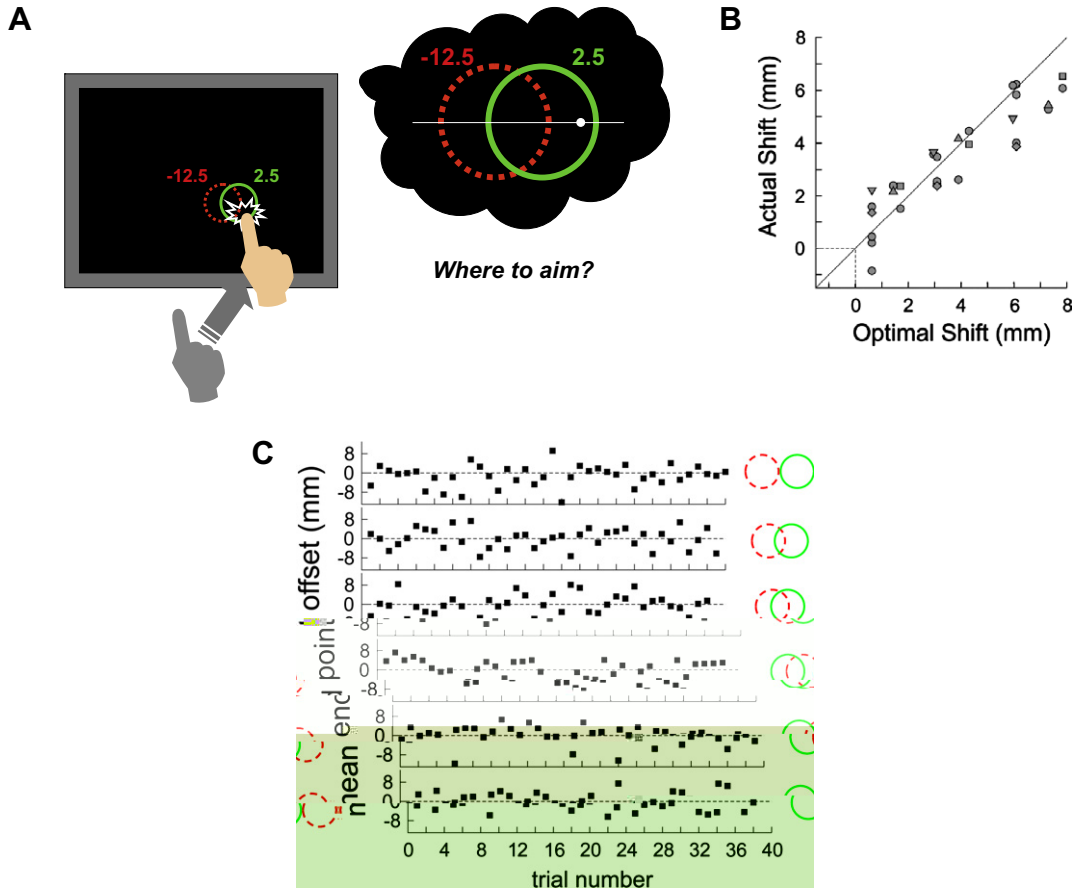
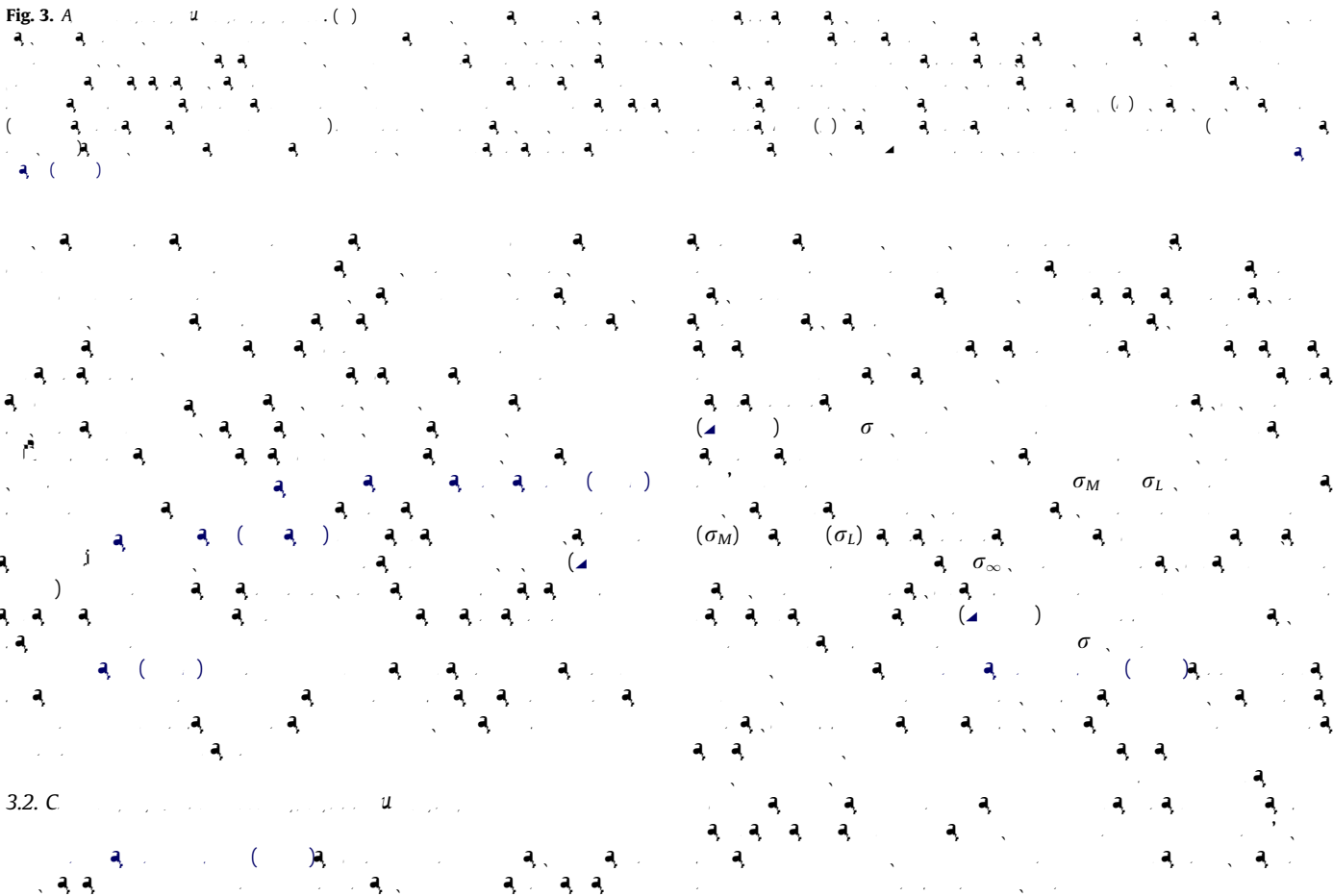


Fig. 3. A



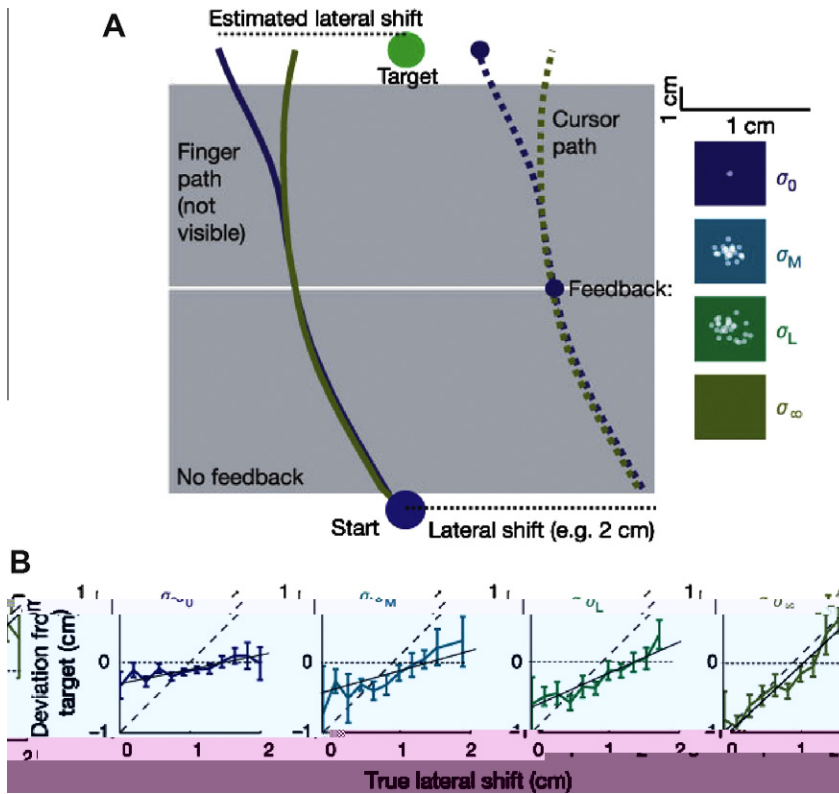
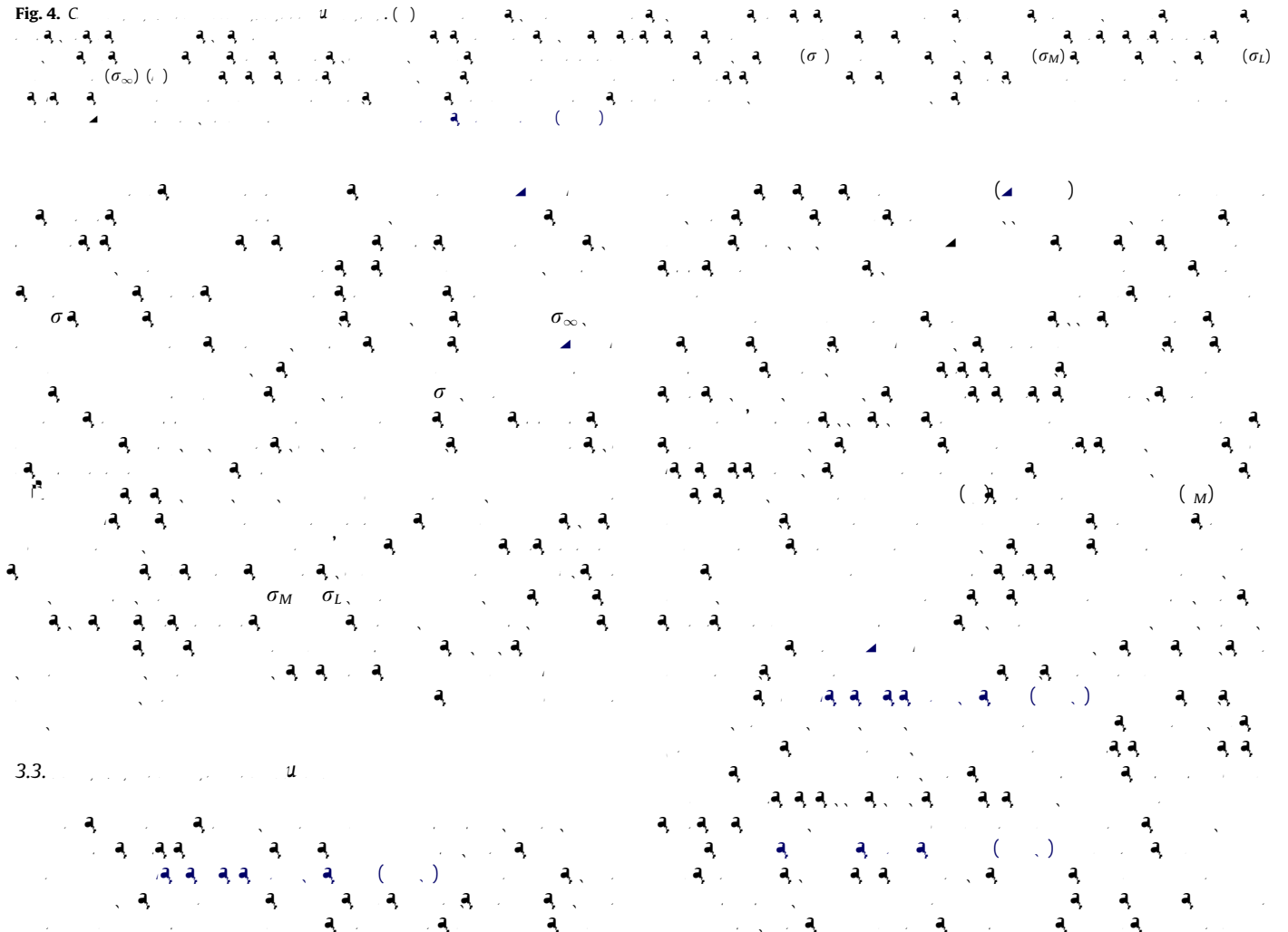
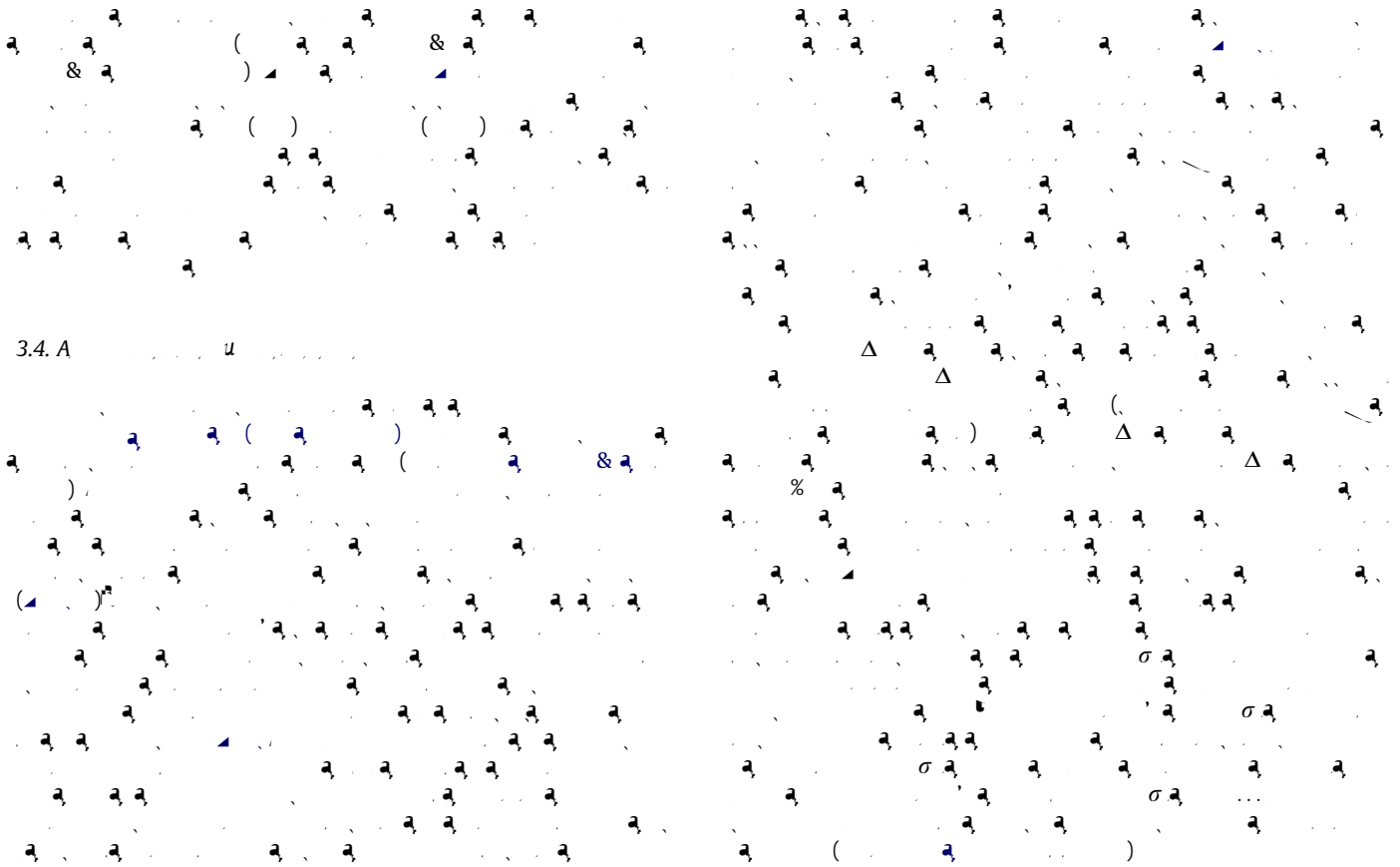


Fig. 4. C





3.4. A

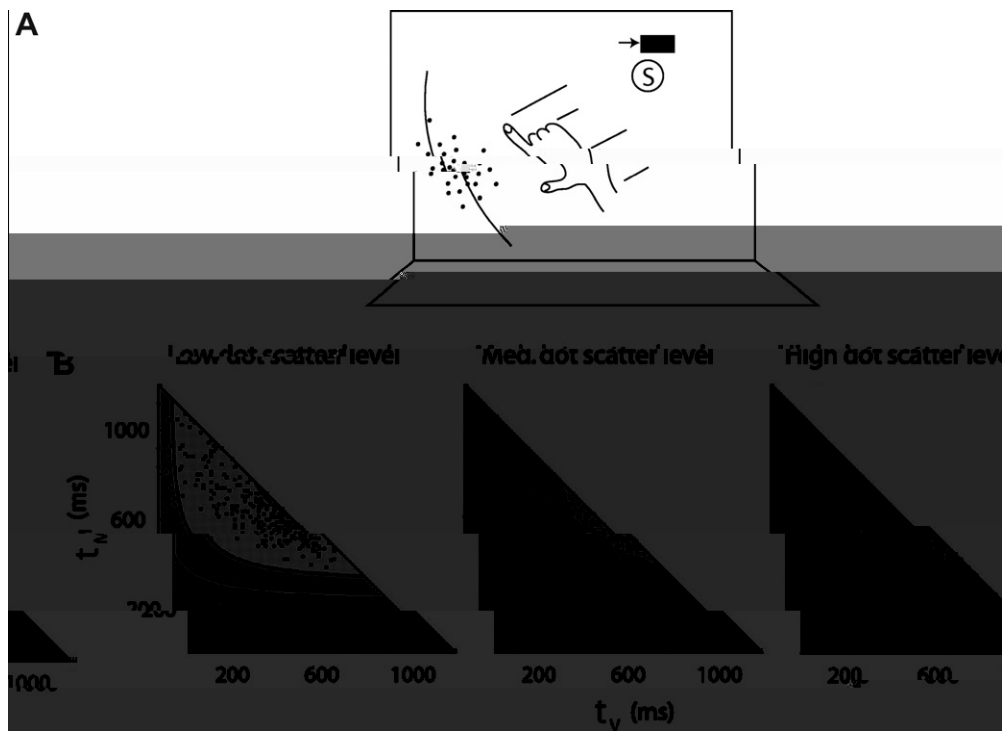
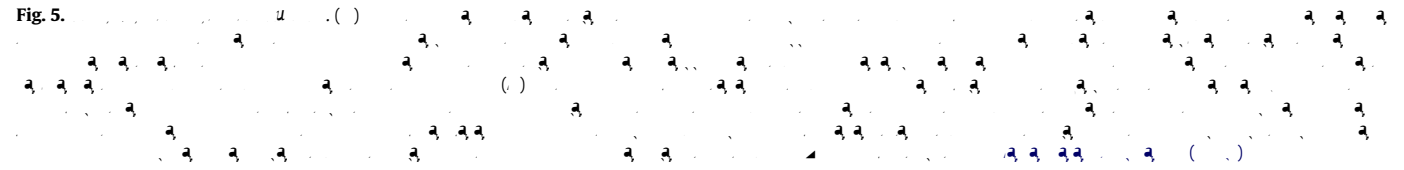


Fig. 5.



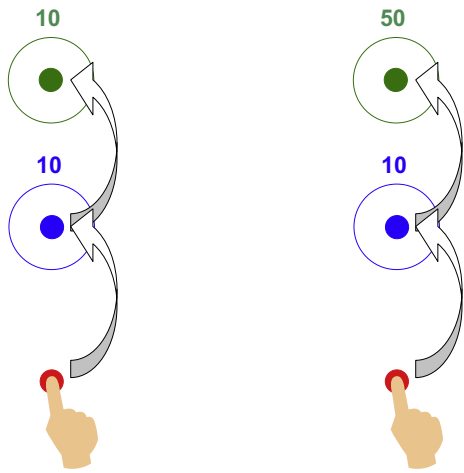
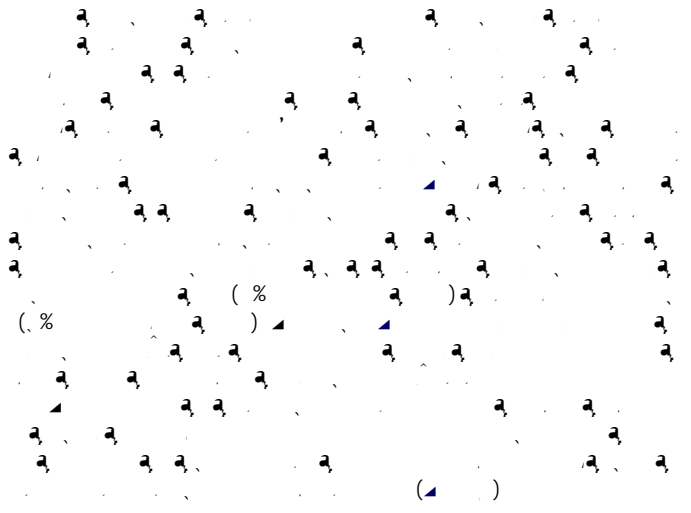
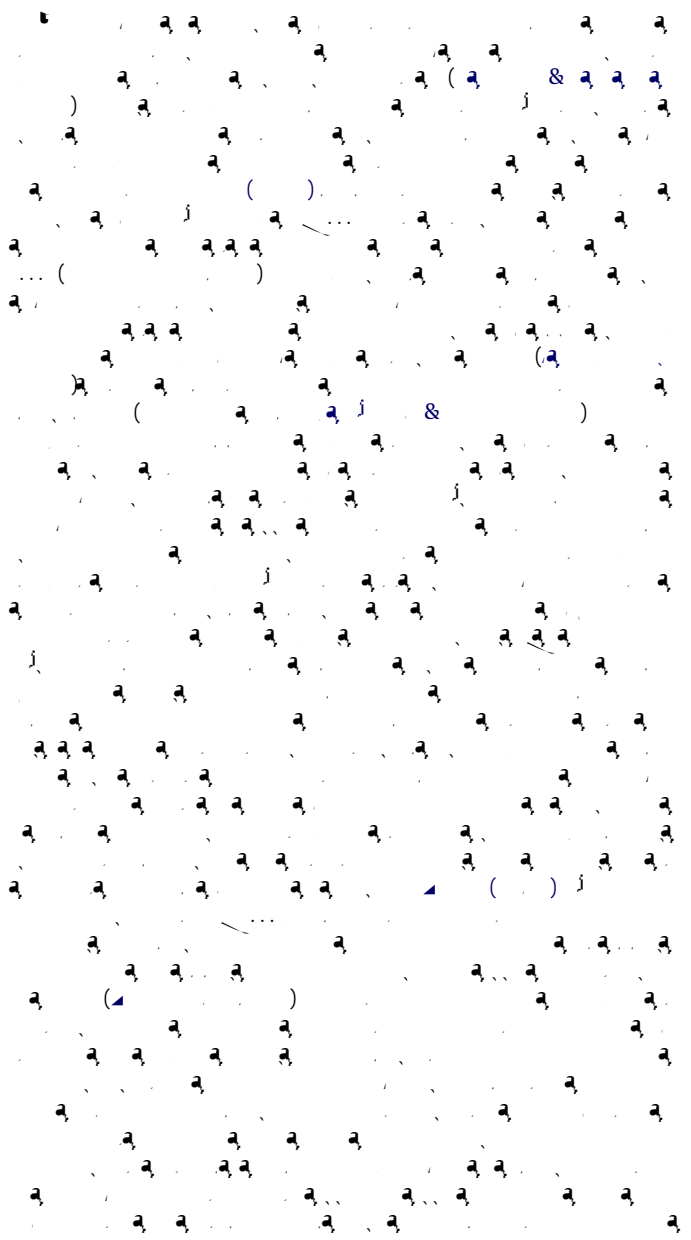
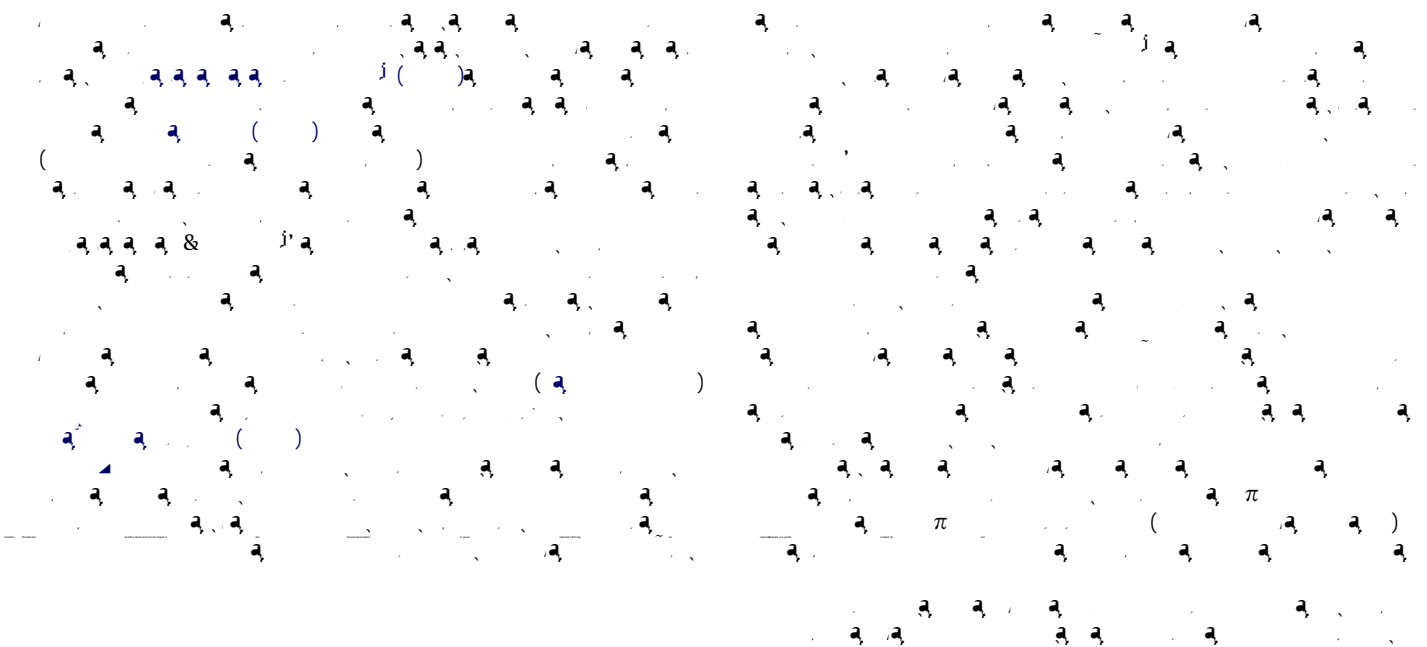
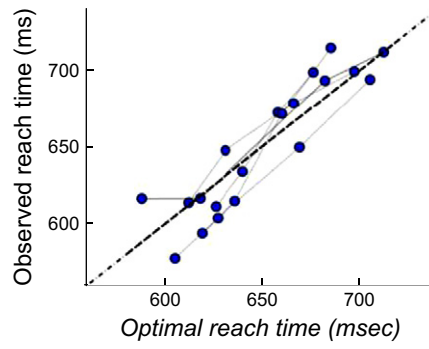
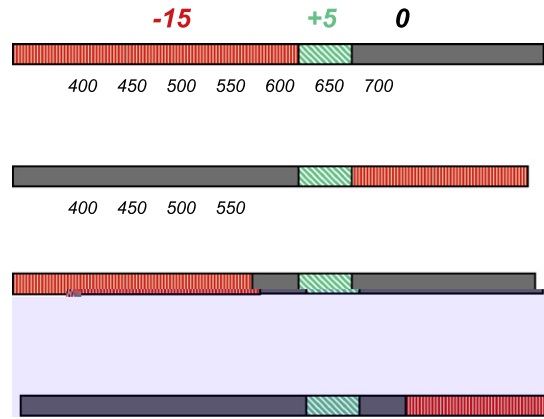
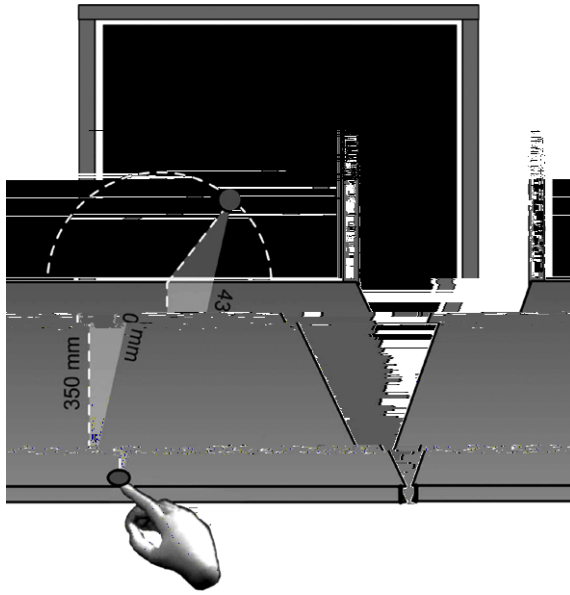


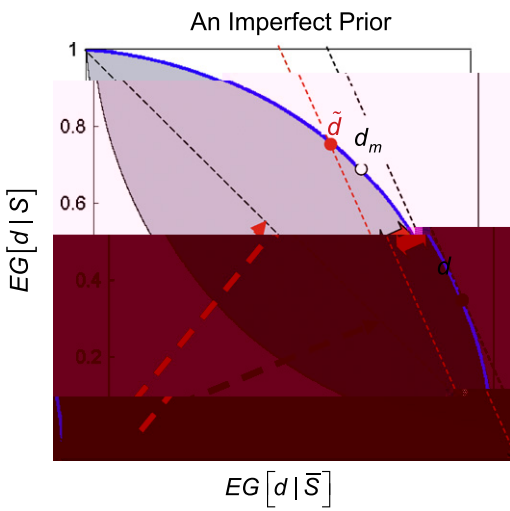
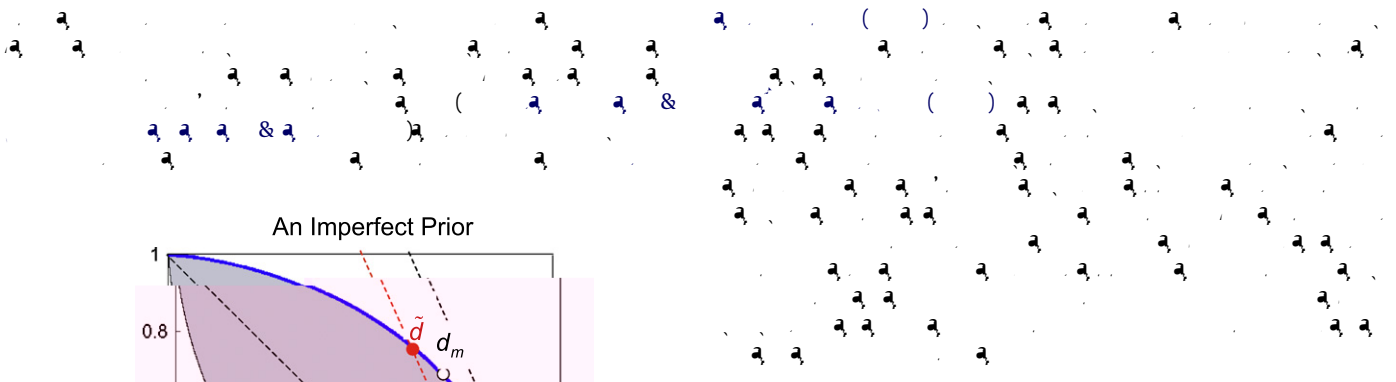
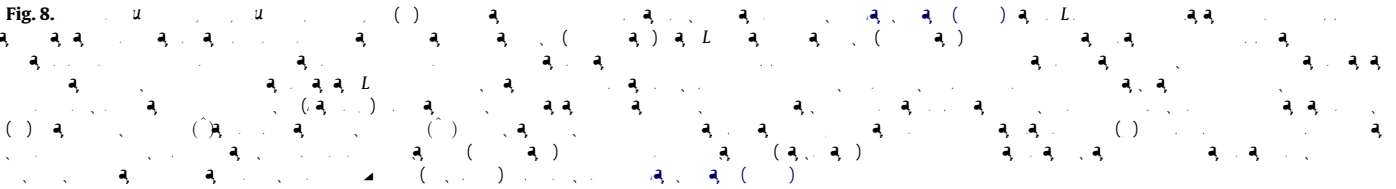
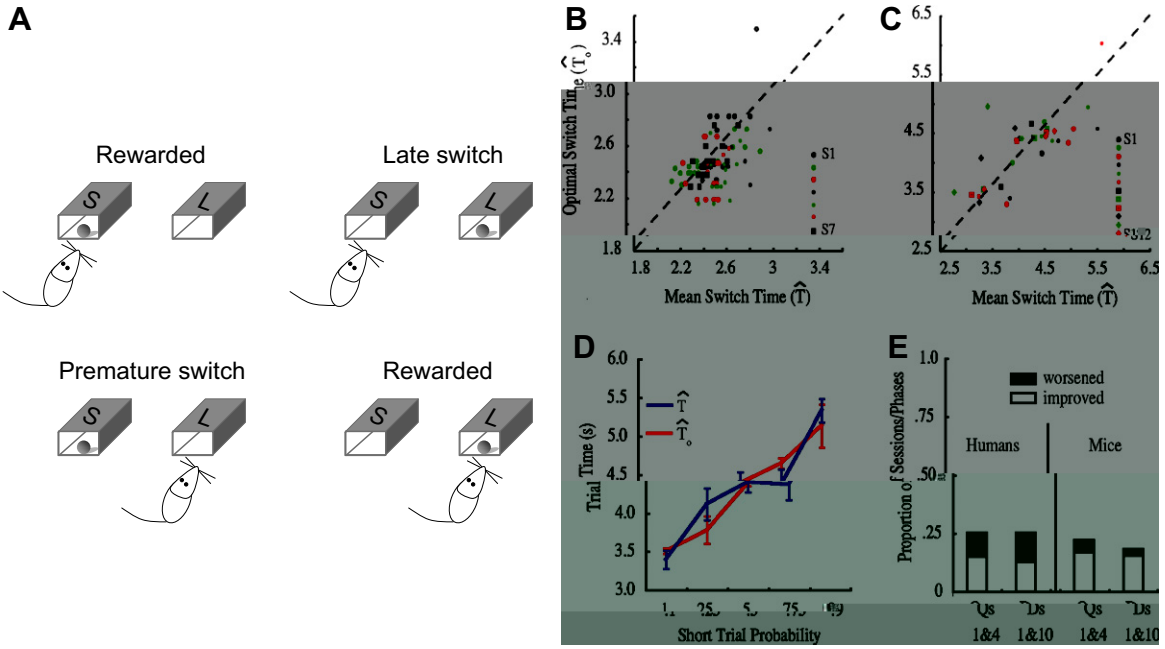
Fig. 6. A. u



4. Imperfectly optimal observers







5. Testing the Bayesian hypothesis



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6. Conclusion

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Acknowledgments

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References

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